四种黄酮类化合物荧光光谱的量子化学研究

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摘 要 采用量子化学半经验方法 RHF/PM3 对四种黄酮类化合物的荧光光谱进行了理论研究。首先,采 用能量梯度法对各化合物的构型进行了优化。所得结果表明,在4 个化合物中,左侧两个六元环均在同一个 平面内,而右侧苯环平面与该平面有大小不等的扭转角。对4 个优化构型进行振动分析,均未出现虚频率, 说明所得构型基本合理。在此基础上,采用单激发组态相互作用方法(CIS)计算荧光光谱,所有计算结果与 实验值基本吻合。

主题词 黄酮; 荧光光谱; 量子化学; CIS 中图分类号: 0631 2, TN 383.1 文献标识码: A

引 言

黄酮化合物是植物界分布较广的一大类多酚类物质,常 以游离或糖苷形式存在于植物体内,具有广泛的生物活性。 大量研究表明,黄酮类化合物有着优良的清除自由基、抗氧 化以及抗突变、抑制肿瘤生长、抗病毒、抗菌、抗过敏等药 理作用,对治疗和预防心脑血管疾病以及保肝护肝、抵抗癌 症、延缓衰老、消炎镇痛等有重要意义,是一类具较高药物 文章编号: 1000 0593(2006) 08 1526 04

价值和开发前景的植物成分,对黄酮化合物的研究是目前天 然药物研究的热点之一^[1, 2]。

黄酮化合物的药理和药效作用与自身的结构紧密相关, 不同的黄酮化合物结构上的差异可能导致药物作用途径和效 果不同,因此,了解黄酮化合物的结构对于筛选黄酮类药 物、寻找新药的先导化合物十分必要。黄酮化合物的结构鉴 定常用的方法之一是解析样品在甲醇溶液和甲醇溶液中加入 各种诊断试剂后的 UV 光谱^[3]。

我们采用量子化学半经验方法 PM 3 对黄酮、桑色素、槲



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1 量子化学计算原理和研究方法

荧光产生的机理可简单表述为

 $S_1 \xrightarrow{\rightarrow} S_0 + h \mathcal{V}$

即电子从第一激发单重态跃迁回基态所产生的降级辐射。本文采用 PM3 方法对四种化合物进行几何构型全参数 优化,对优化后的构型进行振动分析,在此基础上利用单激 发组态相互作用方法(CIS)计算电子光谱。 限于作者现有的计算条件,在计算电子光谱时,最多选用 20 个高占据轨道和 20 个低占据轨道,加上参考态(以基态为参考态)共 801 个组态(简记为 20× 20)。经过 CIS 方法计算,求得基态到各激发态的垂直跃迁能及相应的振动强度,此即电子光谱的理论计算值。

2 结果与讨论

2.1 几何构型

黄酮化合物的结构特点是分子具有苯环结构,且具有较 大的离域键。表1和表2分别列出了四种化合物的能量参数 和构型参数。

$ \begin{bmatrix} 1 & 1 & 0 & -0 & -1 & 380 & 2 & 2 & 0 & -7 & -0 & -6 & -117 & 386 & 2 & 0 & 17 & -0 & 2 & -172 & -174 \\ & 0 & 0 & 0 & -11 & 122 & 20 & 2 & 0 & 0 & -0 & -0 & -113 & 1975 & 2 & 4 & -2 & -0 & -0 & -0 & -116 & -122 & 4 & -2 & -2 & 0 & -2 & -0 & -2 & -12 & -13 & -363 \\ & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -2 & 0 & -2 & -2$	Compounds	Bondlength/Å	Bond angles/ (°)	T orsion angles/(°)
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	L-1	$C_2 - O_7 = 1.380$	$\angle C_2 - 07 - C_8 = 117.386$	$\angle C_1 - C_2 - 07 - C_8 = 179721$
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_8 = C_9 = 1.353$	$\angle C_3 - C_{10} - C_9 = 113 975$	$\angle C_4 - C_3 - C_{10} - O_{11} = 0$ 167
$ \begin{array}{c} C_8 - C_{12} = 1 \ 474 \\ C_{12} - C_{13} = 1 \ 400 \\ \hline \\ C_{12} - C_{13} = 1 \ 400 \\ \hline \\ C_{12} - C_{13} = 1 \ 400 \\ \hline \\ C_{12} - C_{13} = 1 \ 400 \\ \hline \\ C_{2} - O_{9} = 1 \ 374 \\ C_{0} - C_{12} - C_{11} = 115 \ 051 \\ C_{10} - C_{13} - C_{12} - O_{13} = 0 \ 575 \\ \hline \\ C_{10} - C_{13} = 1 \ 369 \\ C_{11} - C_{12} - O_{13} = 122 \ 890 \\ \hline \\ C_{12} - O_{13} = 1 \ 234 \\ C_{10} - C_{13} - C_{16} - O_{12} = 122 \ 890 \\ \hline \\ C_{10} - C_{15} - C_{16} - O_{21} = 123 \\ C_{10} - C_{15} - C_{16} - O_{21} = 124 \ 968 \\ C_{10} - C_{15} - C_{16} - O_{21} = 1 \ 403 \\ \hline \\ C_{16} - C_{17} - C_{18} - O_{22} = 122 \ 800 \\ \hline \\ C_{16} - C_{17} - C_{18} - O_{22} = 123 \ 854 \\ \hline \\ C_{16} - C_{17} - C_{18} - O_{22} = 1 \ 22 \ 800 \\ \hline \\ C_{16} - C_{17} - C_{18} - O_{22} = 1 \ 22 \ 803 \\ \hline \\ C_{16} - C_{17} - C_{18} - O_{22} = 1 \ 79 \ 674 \\ \hline \\ C_{10} - C_{17} = 1 \ 361 \\ \hline \\ C_{10} - C_{17} = 1 \ 361 \\ \hline \\ C_{12} - O_{19} = 1 \ 361 \\ \hline \\ C_{10} - C_{17} - C_{18} - O_{22} = 1 \ 22 \ 803 \\ \hline \\ C_{10} - C_{10} - C_{15} - C_{19} = 1 \ 135 \\ \hline \\ C_{10} - C_{15} = 1 \ 369 \\ \hline \\ C_{10} - C_{15} - C_{10} = 1 \ 145 \ 420 \\ \hline \\ C_{10} - C_{10} - C_{15} - C_{19} = 1 \ 155 \ 420 \\ \hline \\ C_{10} - C_{10} - C_{15} - C_{19} = 1 \ 155 \ 420 \\ \hline \\ C_{10} - C_{15} - C_{19} = -165 \ 6455 \\ \hline \\ C_{10} - C_{15} - C_{19} = -165 \ 6455 \\ \hline \\ C_{10} - C_{15} - C_{18} - O_{21} = 179 \ 944 \\ \hline \\ C_{15} - C_{18} = 1 \ 402 \\ \hline \\ C_{15} - C_{18} - O_{21} = 170 \ 763 \\ \hline \\ C_{18} - O_{22} = 1 \ 365 \\ \hline \\ \hline \\ L^{4} \qquad \begin{array}{c} C_{0} - O_{7} = 1 \ 360 \\ C_{1} - C_{12} - O_{11} = 118 \ 986 \\ \hline \\ C_{1} - C_{1} - O_{19} = O_{13} = 0 \ 150 \\ \hline \\ C_{10} - C_{10} - C_{18} - O_{22} = 179 \ 783 \\ \hline \\ C_{10} - C_{10} - C_{18} - C_{29} - O_{19} = 179 \ 366 \\ \hline \\ C_{1} - C_{12} - O_{13} = 1 \ 227 \ 61 \\ \hline \\ C_{10} - C_{10} - C_{10} - C_{10} - C_{10} - C_{19} - 0 \ 150 \\ \hline \\ C_{10} - C_{15} - C_{19} - O_{11} = 179 \ 366 \\ \hline \\ C_{10} - C_{15} - C_{10} - O_{18} = 179 \ 366 \\ \hline \\ C_{10} - C_{15} - C_{10} - C_{18} - O_{29} = 1 \ 179 \ 900 \\ \hline \\ C_{15} - C_{18} - O_{29} = 1 \ 371 \\ \hline \\ C$		$C_{10} = O_{11} = 1.220$	$\angle C_9 - C_{10} - O_{11} = 122$ 482	$\angle 07 - C_8 - C_{12} - C_{13} = 5.363$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_8 - C_{12} = 1.474$	$\angle C_8 - C_{12} - C_{13} = 122.372$	$\angle 07 - C_8 - C_{12} - C_{17} = -174$ 836
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{12} - C_{13} = 1.400$		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	L-2	$C_6 - 07 = 1.360$	$\angle C_2 = -09 = -C_{10} = 119249$	$\angle C1 - C_2 - 09 - C_{10} = -176768$
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_2 - O9 = 1.374$	$\angle C_3 - C_{12} - C_{11} = 115.051$	$\angle C_4 - C_3 - C_{12} - O_{13} = -0$ 575
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{10} = C_{11} = 1.369$	$\angle C_{11} - C_{12} - O_{13} = 122$ 890	$\angle 09 - C_{10} - C_{15} - C_{16} = -18\ 905$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{12} = O_{13} = 1.234$	$\angle C_{10} - C_{15} - C_{16} = 123\ 854$	$\angle 09 - C_{10} - C_{15} - C_2 0 = 161.765$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{10} - C_{15} = 1.466$	$\angle C_{15} - C_{16} - O_{21} = 124$ 968	$\angle C_{10} - C_{15} - C_{16} - O_{21} = -0.616$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{15} - C_{16} = 1.414$	$\angle C_{17} - C_{18} - O_{22} = 122 830$	$\angle C_{16} - C_{17} - C_{18} - O_{22} = -179$ 674
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{16} - C_{17} = 1.403$		
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{16} - O_{21} = 1.361$		
$ I-3 \qquad C_6 - 07 = 1 \ 361 \qquad \angle C_2 - 09 - C_{10} = 118 \ 987 \qquad \angle C 1 - C_2 - 0_9 - C_{10} = 179 \ 387 \\ C_2 - 09 = 1 \ 371 \qquad \angle C_3 - C_{12} - C_{11} = 114 \ 942 \qquad \angle C_4 - C_3 - C_{12} - 0_{13} = 0 \ 135 \\ C_{10} = C_{11} = 1 \ 369 \qquad \angle C_{11} - C_{12} - 0_{13} = 122 \ 803 \qquad \angle 09 - C_{10} - C_{15} - C_{16} = 14 \ 512 \\ C_{12} = 0_{13} = 1 \ 235 \qquad \angle C_{10} - C_{15} - C_{16} = 121 \ 474 \qquad \angle 09 - C_{10} - C_{15} - C_{16} = 14 \ 512 \\ C_{15} - C_{16} = 1 \ 402 \qquad \angle C_{17} - C_{18} - 0_{22} = 117 \ 613 \qquad \angle C_{16} - C_{17} - 0_{21} = 179 \ 994 \\ C_{15} - C_{16} = 1 \ 402 \qquad \angle C_{17} - C_{18} - 0_{22} = 117 \ 613 \qquad \angle C_{16} - C_{17} - C_{18} - 0_{22} = 179 \ 783 \\ C_{17} - C_{18} = 1 \ 417 \\ C_{17} - 0_{21} = 1 \ 369 \\ C_{18} - 0_{22} = 1 \ 365 \\ I-4 \qquad C_6 - 07 = 1 \ 360 \qquad \angle C_2 - 0_9 - C_{10} = 118 \ 986 \qquad \angle C1 - C_2 - 09 - C_{10} = 179 \ 366 \\ C_2 - 0_9 = 1 \ 371 \qquad \angle C_3 - C_{12} - C_{11} = 114 \ 938 \qquad \angle C_4 - C_3 - C_{12} - 0_{13} = 0 \ 150 \\ C_{10} = C_{11} = 1 \ 369 \qquad \angle C_{11} - C_{12} - 0_{13} = 122 \ 761 \qquad \angle 09 - C_{10} - C_{15} - C_{16} = 15 \ 331 \\ C_{12} = 0_{13} = 1 \ 235 \qquad \angle C_{10} - C_{15} - C_{16} = 121 \ 490 \qquad \angle 0_9 - C_{10} - C_{15} - C_{16} = 15 \ 331 \\ C_{12} = 0_{13} = 1 \ 235 \qquad \angle C_{10} - C_{15} - C_{16} = 121 \ 490 \qquad \angle 0_9 - C_{10} - C_{15} - C_{16} = 15 \ 331 \\ C_{12} = 0_{13} = 1 \ 235 \qquad \angle C_{10} - C_{15} - C_{16} = 121 \ 490 \qquad \angle 0_9 - C_{10} - C_{15} - C_{16} = 15 \ 331 \\ C_{15} - C_{16} = 1 \ 400 \qquad \angle C_{17} - C_{18} - 0_{22} = 117 \ 307 \qquad \angle C_{16} - C_{17} - 0_{21} = 179 \ 990 \\ C_{15} - C_{16} = 1 \ 400 \qquad \angle C_{18} - C_{19} - 0_{23} = 116 \ 818 \qquad \angle C_{17} - C_{18} - C_{19} - 0_{23} = 179 \ 707 \\ C_{17} - C_{18} = 1 \ 415 \qquad \angle C_{18} - C_{19} - 0_{23} = 116 \ 818 \qquad \angle C_{17} - C_{18} - C_{19} - 0_{23} = 179 \ 692 \\ C_{17} - 0_{21} = 1 \ 366 \\ C_{19} - 0_{23} = 1 \ 374 \qquad = 174 \ 100 \ C_{17} - C_{18} - C_{19} - 0_{23} = 179 \ 707 \ C_{17} - C_{18} - C_{19} - 0_{23} = 179 \ 707 \ C_{17} - C_{18} - C_{19} - 0_{23} = 179 \ 692 \ C_{17} - C_{18} - C_{19} - 0_{23} = 179 \ 692 \ C_{17} - C_{18} - C_{19} - $		$C_{18} - O_{22} = 1.363$		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	L-3	$C_6 - 07 = 1.361$	$\angle C_2 - O9 - C_{10} = 118\ 987$	$\angle C 1 - C_2 - O_9 - C_{10} = 179 387$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_2 - 09 = 1.371$	$\angle C_3 - C_{12} - C_{11} = 114.942$	$\angle C_4 - C_3 - C_{12} - O_{13} = -0$ 135
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{10} = C_{11} = 1.369$	$\angle C_{11} - C_{12} - O_{13} = 122\ 803$	$\angle 09 - C_{10} - C_{15} - C_{16} = 14512$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{12} = O_{13} = 1.235$	$\angle C_{10} - C_{15} - C_{16} = 121\ 474$	$\angle 09 - C_{10} - C_{15} - C_2 0 = -165.645$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{10} - C_{15} = 1.470$	$\angle C_{16} - C_{17} - 021 = 122$ 675	$\angle C_{15} - C_{16} - C_{17} - O_{21} = 179.994$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{15} - C_{16} = 1.402$	$\angle C_{17} - C_{18} - O_{22} = 117.613$	$\angle C_{16} - C_{17} - C_{18} - O_{22} = 179.783$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{17} - C_{18} = 1.417$		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{17} - O_{21} = 1.369$		
L-4 $C_6 - 07 = 1.360$ $\angle C_2 - 0_9 - C_{10} = 118986$ $\angle C_1 - C_2 - 09 - C_{10} = 179366$ $C_2 - 0_9 = 1.371$ $\angle C_3 - C_{12} - C_{11} = 114938$ $\angle C_4 - C_3 - C_{12} - 0_{13} = -0150$ $C_{10} = C_{11} = 1.369$ $\angle C_{11} - C_{12} - 0_{13} = 122761$ $\angle 09 - C_{10} - C_{15} - C_{16} = 15331$ $C_{12} = 0_{13} = 1.235$ $\angle C_{10} - C_{15} - C_{16} = 121490$ $\angle 09 - C_{10} - C_{15} - C_{20} = -164825$ $C_{10} - C_{15} = 1.472$ $\angle C_{16} - C_{17} - 0_{21} = 122268$ $\angle C_{15} - C_{16} - C_{17} - 0_{21} = 179900$ $C_{15} - C_{16} = 1.400$ $\angle C_{17} - C_{18} - 0_{22} = 117307$ $\angle C_{16} - C_{17} - C_{18} - 0_{22} = 179707$ $C_{17} - C_{18} = 1.415$ $\angle C_{18} - C_{19} - 0_{23} = 116818$ $\angle C_{17} - C_{18} - C_{19} - 0_{23} = -179692$ $C_{15} - 0_{21} = 1.368$ $C_{18} - 0_{22} = 1.374$		$C_{18} - O_{22} = 1.365$		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	L - 4	$C_6 - 07 = 1.360$	$\angle C_2 - O_9 - C_{10} = 118\ 986$	$\angle C1 - C_2 - 09 - C_{10} = 179$ 366
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_2 - O_9 = 1.371$	$\angle C_3 - C_{12} - C_{11} = 114.938$	$\angle C_4 - C_3 - C_{12} - O_{13} = -0$ 150
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{10} = C_{11} = 1.369$	$\angle C_{11} - C_{12} - O_{13} = 122$ 761	$\angle 09 - C_{10} - C_{15} - C_{16} = 15\ 331$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{12} = O_{13} = 1.235$	$\angle C_{10} - C_{15} - C_{16} = 121.490$	$\angle O_9 - C_{10} - C_{15} - C_2 0 = -164$ 825
$C_{15} - C_{16} = 1,400$ $\angle C_{17} - C_{18} - O_{22} = 117,307$ $\angle C_{16} - C_{17} - C_{18} - O_{22} = 179,707$ $C_{17} - C_{18} = 1,415$ $\angle C_{18} - C_{19} - O_{23} = 116,818$ $\angle C_{17} - C_{18} - C_{19} - O_{23} = -179,692$ $C_{17} - O_{21} = 1,368$ $C_{18} - O_{22} = 1,366$ $C_{19} - O_{23} = 1,374$		$C_{10} - C_{15} = 1.472$	$\angle C_{16} - C_{17} - 0_{21} = 122$ 268	$\angle C_{15} - C_{16} - C_{17} - O_{21} = 179.990$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		$C_{15} - C_{16} = 1.400$	$\angle C_{17} - C_{18} - O_{22} = 117.307$	$\angle C_{16} - C_{17} - C_{18} - O_{22} = 179,707$
$C_{17} - O_{21} = 1$ 368 $C_{18} - O_{22} = 1$ 366 $C_{19} - O_{23} = 1$ 374		$C_{17} - C_{18} = 1.415$	$\angle C_{18} - C_{19} - O_{23} = 116 818$	$\angle C_{17} - C_{18} - C_{19} - O_{23} = -179$ 692
$C_{18} - O_{22} = 1$ 366 $C_{19} - O_{23} = 1$ 374		$C_{17} - O_{21} = 1.368$		
$C_{19} - O_{23} = 1.374$		$C_{18} - O_{22} = 1.366$		
		$C_{19} - O_{23} = 1.374$		

Table 1 Some structural parameters of the four compounds

Table 2 Total energy, heat of formation and convergent gradient of the four compounds

Compounds	T otal energy/ $(kJ \cdot mol^{-1})$	Heat of formation/(kJ • mol ⁻¹)	Convergent gradient/(kJ· mol ⁻¹ · nm ⁻¹)
L-1	- 242 612 605	- 7. 875	0 004 18
L-2	- 384 254 225	- 949 128	0 004 18
L-3	- 384 238 491	- 933 394	0 004 18
L- 4	- 412 560 265	- 1 115 094	0 004 18

由表 1 数据可见: 化合物 L-2, L-3, L-4 中的 $C_{12} = O_{13}$ 的键长约为 1 235 Å, 比正常的 C=O 双键 1 220 Å长, 说 明羰基上电子发生了部分离域。而 L-2, L-3, L-4 中的 $C_{10} = C_{11}$ 的键长均为 1.369 Å, 比正常的 C=C 键 1 340 Å长, 表明它们也发生部分离域。注意 4 种化合物中的含氧 六元环同苯环所组成的二面角: 在 L-1 中, $\angle C_1 - C_2 - O_7 - C_8 = 179$ 72 f, $\angle C_4 - C_3 - C_{10} - O11 = 0$ 16 f; 在 L-2 中, $\angle C_1 - C_2 - O_9 - C_{10} = -176$ 76 g, $\angle C_4 - C_3 - C_{12} - O_{13} = -$ 0 57 f; 在 L-3 中, $\angle C_1 - C_2 - O_9 - C_{10} = 179$ 38 f, $\angle C_4 - C_3 - C_{12} - O_{13} = -$ 0 13 f; 在 L-4 中, $\angle C_1 - C_2 - O_9 - C_{10} = -0$ 15 f, 表明 含氧六元环同苯环基本上处于同一平面。在 L-1 中, 含氧六 元环与右侧苯环有大约 5°的偏转。从表1数据可知, 在 L-2, L-3, L-4中含氧六元环与左侧苯环仍然处于同一平面, 但由 于 11位上取代基 —OH 的引入, 产生的空间位阻使右侧的 苯环偏转增大, 偏转角度由 5°增大到大约在 14°~ 18°。

2.2 振动分析

判断分子是否处于稳定构型的一个重要方法是看它的振 动光谱是否出现虚频率^[4],对上述四种化合物进行振动分 析,其振动光谱均未出现虚频率,说明构型优化基本合理。

表 3 列出了四种化合物分子的振动光谱数据,给出了每 个分子三个最小振动频率和强度。

	Table 3	Vibrational	analyses	of the	four	compound	ds
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Compounds]	Frequency/cm ⁻¹	l	Inte	nsity/(km∙mol	- 1)
L-1	11.63	44 04	93 58	0.066 2	0 644 0	1. 000 4
L-2	28 95	39.24	70 86	0.048 3	0 062 2	0 061 3
L-3	21.52	36 07	66 12	0.035 2	0 033 8	0 127 6
L-4	18 59	35 71	66 46	0.019 3	0 002 2	0 295 4

2.3 前线分子轨道能量

有机分子的电子光谱(包括荧光光谱)与前线区域轨道能 量,特别是 HOMO 与 LUMO 之间的能级差 △E 有很大关 系。

表4列出了这四种分子的前线区域轨道能量。其中 FOMO, TOMO, SOMO, HOMO分别表示第四、第三、次 高、最高占有轨道, LUMO, SUMO, TUMO, FUMO分别 表示最低、次低、第三、第四空轨道。由表 4 可以看出 4 种化 合物均含离域 π 键, HOMO 与 LUMO 的能级差 Δ E 较小, 离域 π 电子容易激发,如果完全忽略电子交换积分 K_{ij} 和库 仑积分 J_{ij} ,则可由 Δ E 值估算从 HOMO 到 LUMO 的垂直跃 迁能^[5]。

Table 4 FMO energy of the four compounds (eV)

Compounds	FOMO	TOMO	SOMO	HOMO	LUMO	SU M O	TUMO	FUM O	ΔE
L- 1	- 10 173	- 10 133	- 9.756	- 9. 299	- 0 901	- 3 373	0 031	0 051	8 398
L-2	- 9 862	- 9.673	- 9 502	- 8 697	- 1. 126	- 0 593	- 0. 105	0 249	7.571
L-3	- 9. 795	- 9.677	- 9 308	- 8 666	- 1. 086	- 0 535	- 0. 007	0 141	7.580
L-4	- 9.784	- 9 415	- 9 400	- 8 668	- 1. 144	- 0 583	- 0. 037	0 112	7. 524

2.4 荧光光谱

采用 CIS 方法,分别取 20 个占有轨道、20 个未占有轨 道,加上参考态(基态即为参考态)共计 801 个组态,计算了 这四种化合物的电子光谱,结果见表 5。所得结果与实验 值¹⁶ 基本一致。在 L-2, L-3, L-4 中,由于羟基一OH 的引入,相比于黄酮,共轭体系均有不同程度的增大,故使 HOM O LUMO 之间的能级差 △ E减小,谱线发生红移。

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Table 5	Electronic	spectra	of the	four	compounds

Compounds	HOMO	LU M O	Transition component	Coefficient	$\lambda n m(cal)$	$\lambda \operatorname{nm}(\operatorname{exp})$
L - 1	(41)	(42)	(41) → (42)	0 414 3	322 9	297 ^[6]
L-2	(56)	(57)	(56) → (57)	0 558 7	377. 4	370[6]
L-3	(56)	(57)	(56) → (57)	0 556 2	374 7	370[6]
L-4	(59)	(60)	(59) → (60)	0 533 8	374 5	374[6]

3 结果与讨论

黄酮类化合物具有较大的共轭 π 键,其几何构型与其荧 光光谱之间存在着一定的关系,研究其荧光光谱将有利于推 测和确定其空间结构。本文用量子化学半经验方法处理的结 果与实验值基本吻合。由于理论值是以理想气体分子模型计 算所得,而实验值却与实验条件有关,故产生一定的误差是 允许的。

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Quantum Chemistry Study on Fluorescence Spectra of Four Flavonoid Compounds

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Abstract The semi-empirical method PHF/PM3 of quantum chemistry was used for studying the fluorescence spectra of four flavonoid compounds. Firstly, the geometries of these four compounds were optimized by energy gradient method. The results show that in these four copmounds, the two six membered rings on the left are in the same plane, but these are different torsion angles between this plane and the benzene ring plane on the right. Secondly, vibrational analyses were performed for the four op timized configurations. There is no imaginary frequency in vibrational analyses. This indicates that the optimized configurations are essentially reasonable. Finally, on this basis, the electronic spectra were calculated by CIS method. All the calculated results are basically consistent with experimental values.

Keywords Flavonoid; Fluorescence spectra; Quantum chemistry; CIS

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